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Performance-Based Design Procedures for Novel Semi-Active Cladding Connection Applied to Blast Mitigation

Objective

- Design a damping system to against and dissipate a blast load.
- Create a design procedure to determine dynamic parameters of a cladding connected a damping system.

Problem Statement

- Multi-functional cladding is considered to replace conventional cladding
- Semi-active device will provide variable force on resistance
- A maximum energy dissipation can be generated in a passive mode

Approach

- Design the performance-based design (PBD) mode.
- Derive governing design equations of cladding and control system.
- Validation of PBD procedure.

Structure-cladding Model

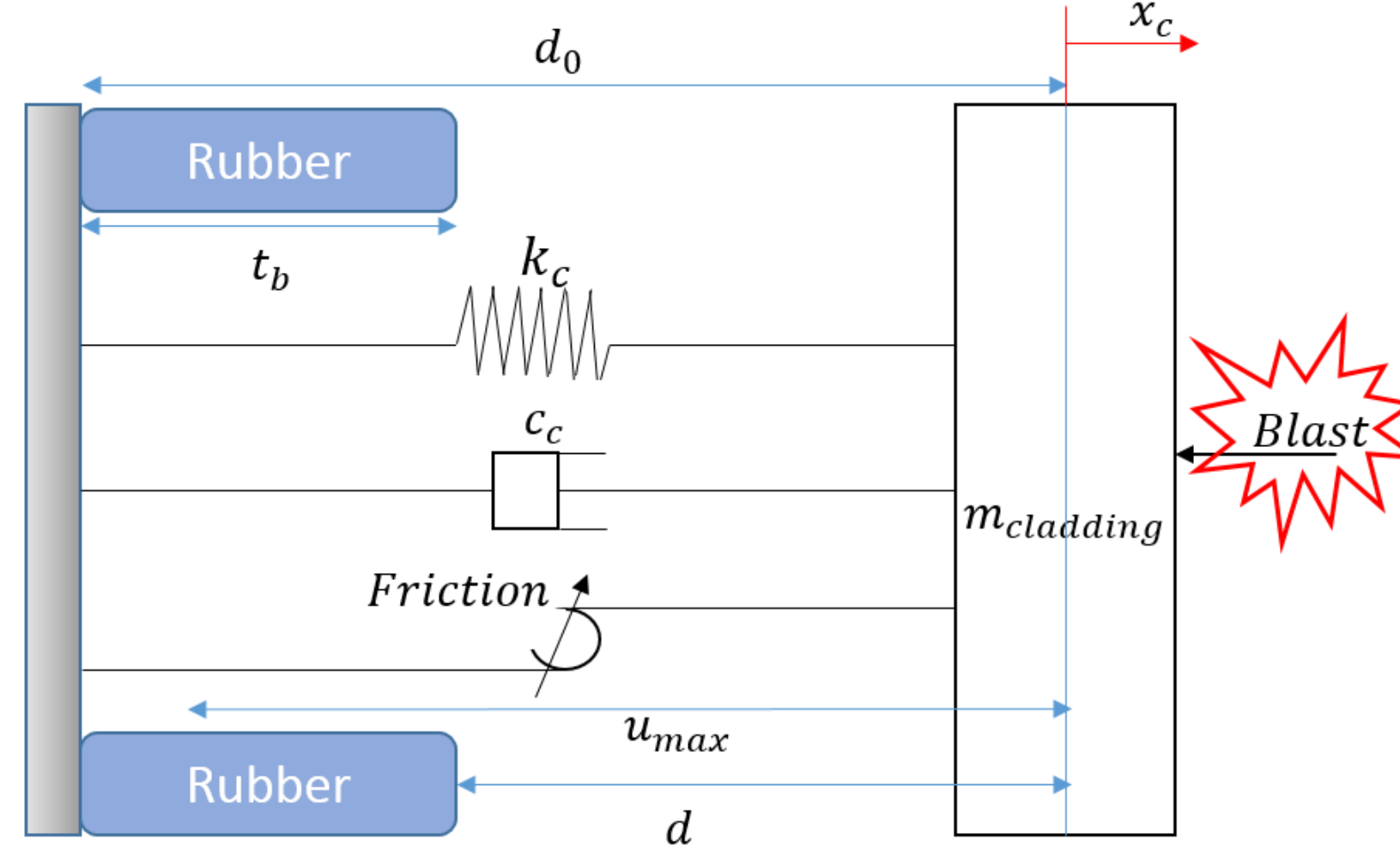


Figure 1: Structure-Cladding System of SDOF

SDOF Structure

- Mass of cladding, m_c
- Stiffness of cladding, k_c
- Damping coefficient, c_c
- Friction, F_c
- Rubber thickness, t_b
- Interspace between cladding and structure, d_0
- Interspace between cladding and rubber bumper, d
- The maximum deflection cladding will be, u_{max}

2DOF Structure

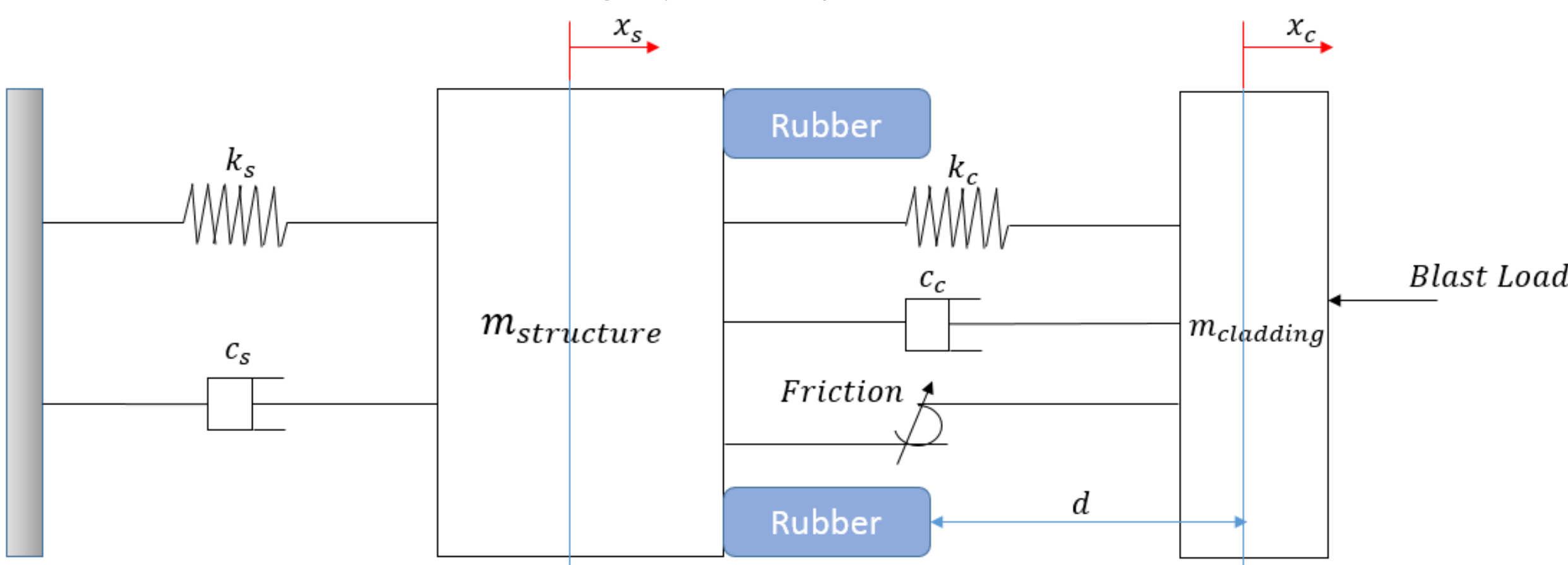


Figure 2: Structure-Cladding System of 2DOF

Methodology

The equation of motion for SDOF model:

$$m_{cladding}\ddot{u}(t) + c_c\dot{u}(t) + k_c u(t) + F_c + F_{rubber} = F_{blast}$$

where F_c is the friction, F_{rubber} is the force caused by rubber bumper, F_{blast} is the external lateral blast.

Analytical Solutions:

$$u_3(t) = e^{-\xi_r \omega_n t} \left[\left(u(T) - \frac{-F_c}{K_c} \right) \cos \omega_{dr} t + \frac{\dot{u}(T) + \left(u_0 - \frac{-F_c}{K_c} \right) \xi_r \omega_n}{\omega_{dr}} \sin \omega_{dr} t \right] + \frac{-F_c}{K_c} \quad t \gg T$$

where T is the Moment when cladding touches the rubber bumper

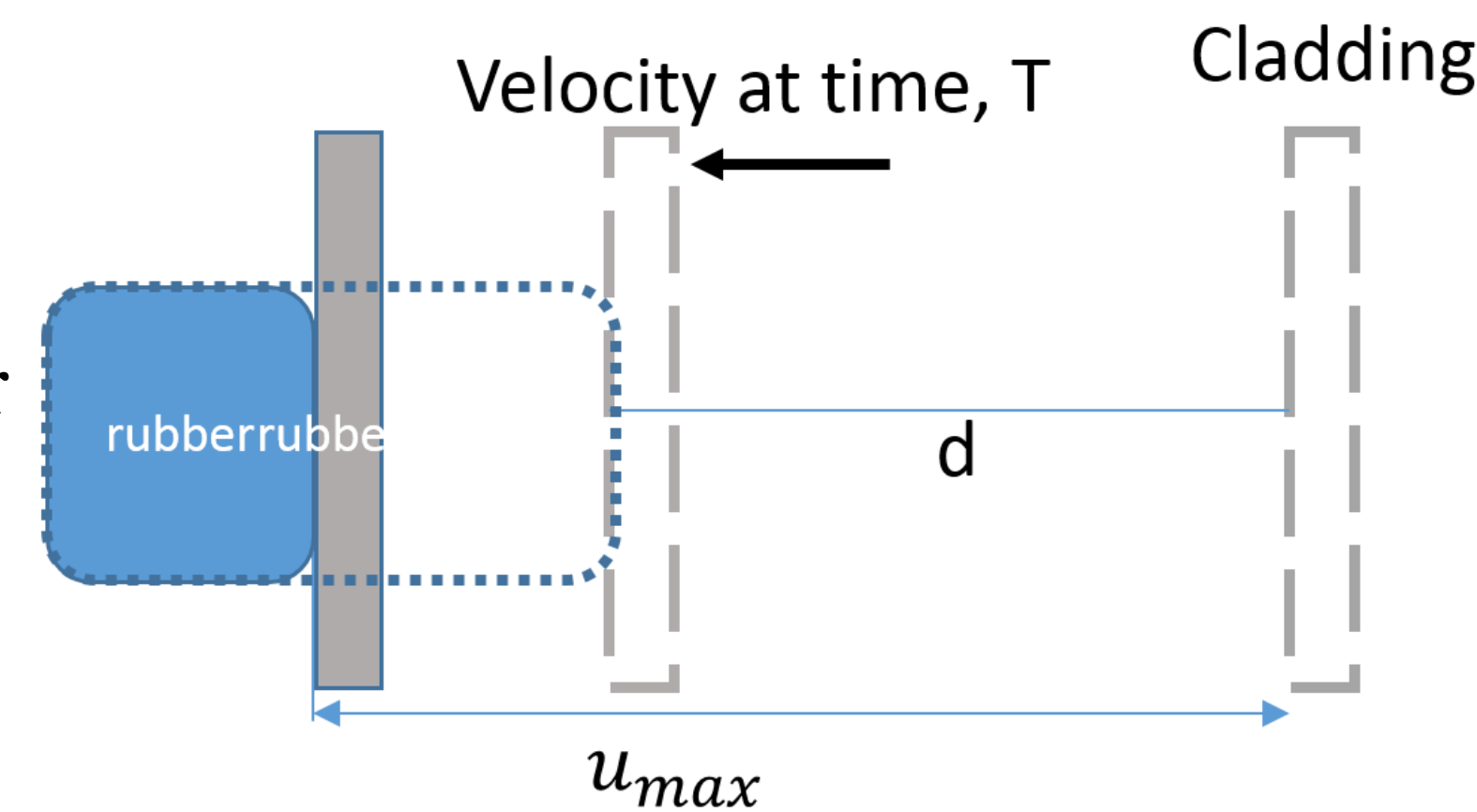


Figure 3: Vibrating of rubber bumper

Validating on Simulation

- State Space method
- Comparing Analytical and Numerical method (SDOF)

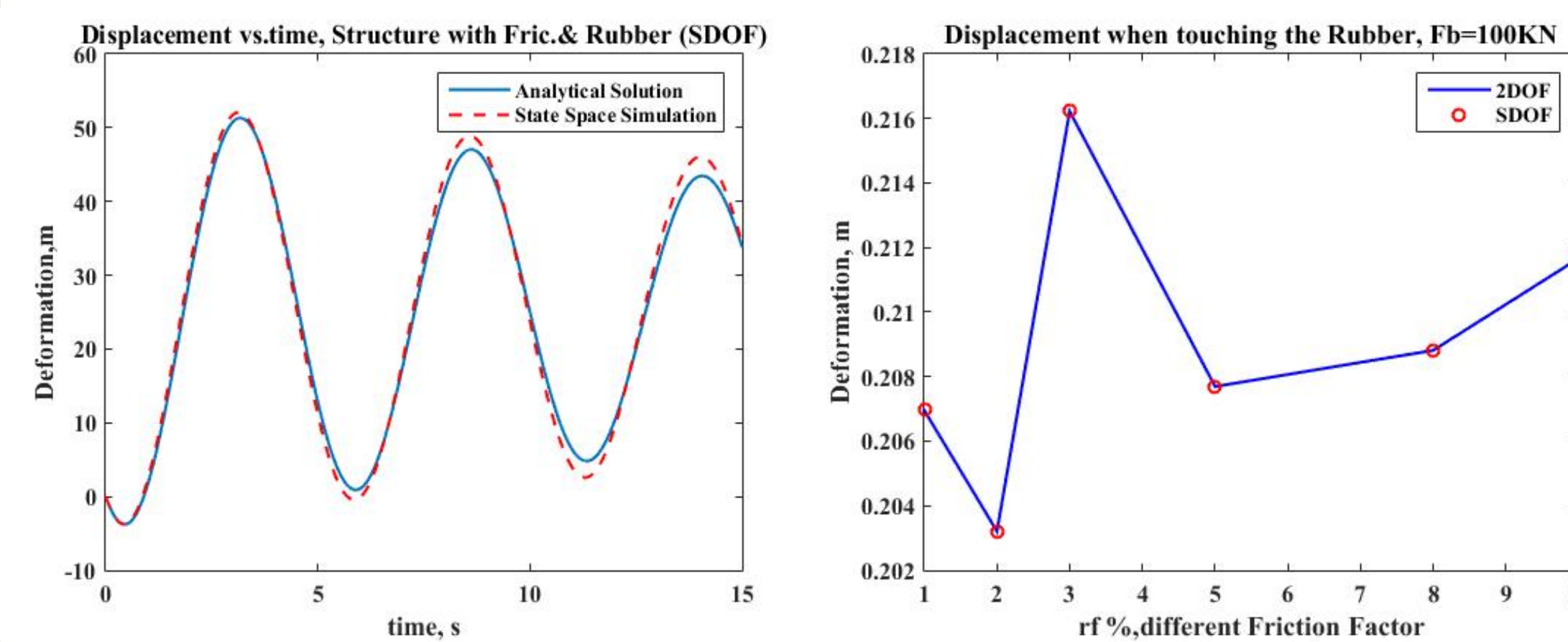


Figure 4: (a) Comparison results by analytical and numerical method (b) Comparing maximum displacement by SDOF and 2DOF

PBD Procedure

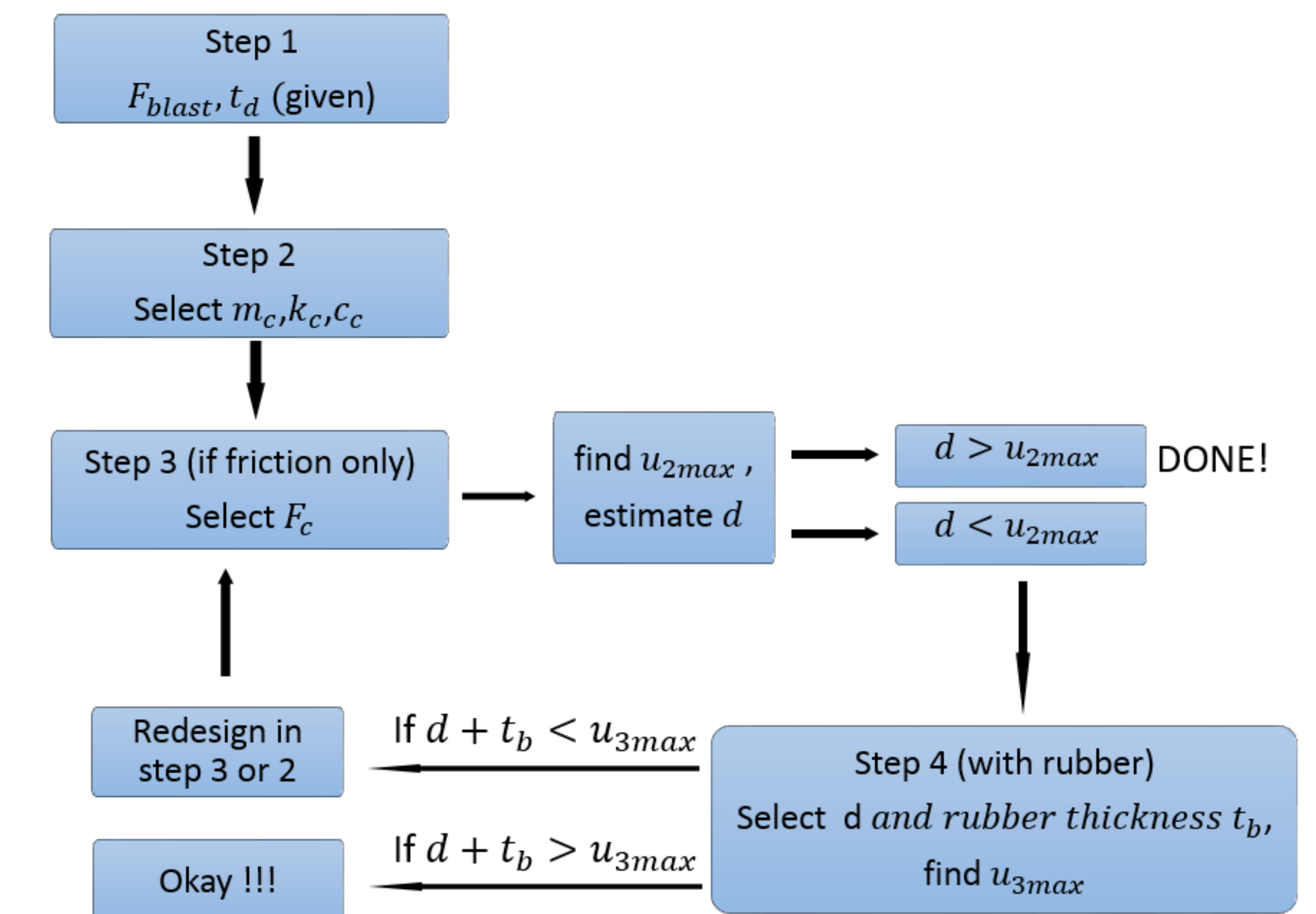
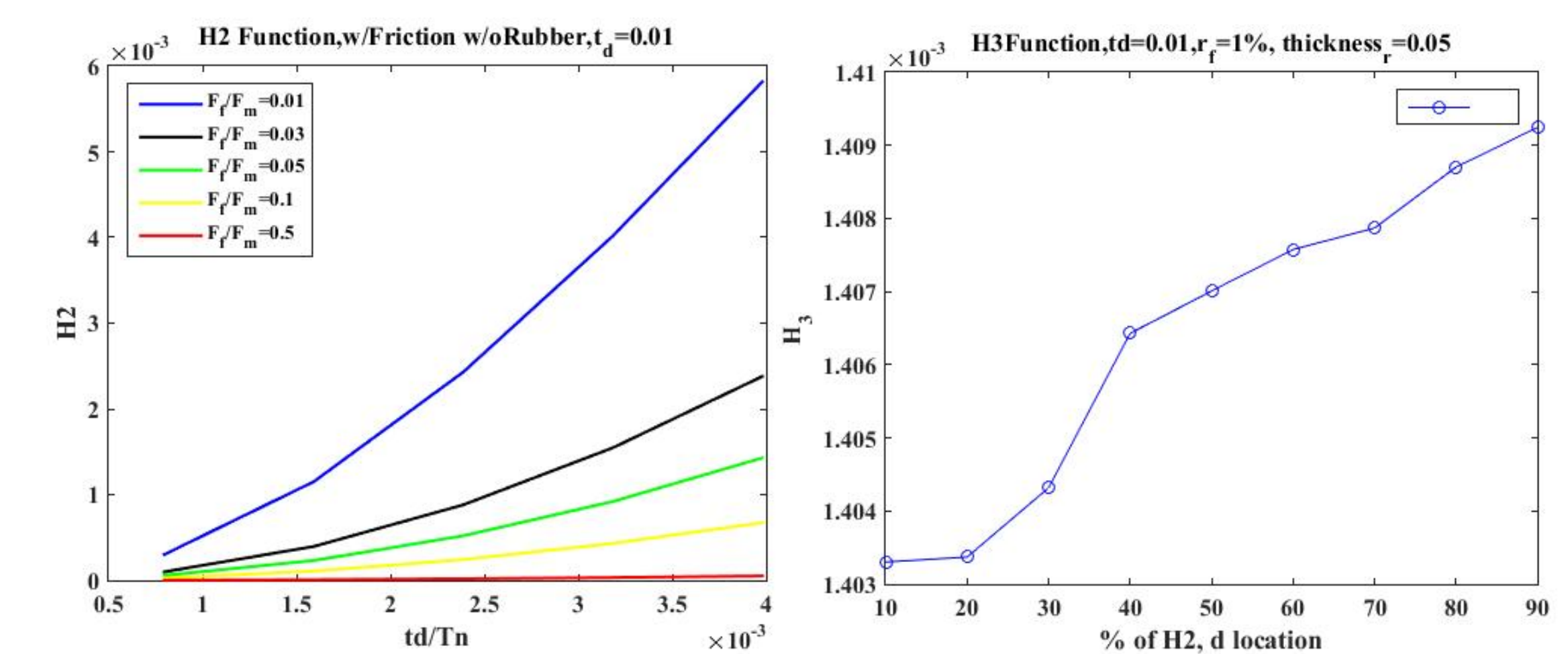


Figure 5: Design flowchart

- $H_2 = \frac{u_{2max}}{u_{st}}$, $H_3 = \frac{u_{3max}}{u_{st}}$, where u_{st} is $\frac{F_m}{K_c}$, static deformation



Conclusion

- Results obtained from analytical solutions are similar to results from numerical simulations.
- PBD procedure is validated, and it can also applied for 2DOF structure.
- Future work is to extend to semi-active functions